

*

(// // //)

[]

p/Z

[]

p/Z

Visual Basic 6.0

Windows

$$N = \frac{N_p[B_t + (R_p - R_{si})B_g] - (W_e - W_p B_w) - G_{inj} B_{ginj} - W_{inj} B_w}{(B_t - B_{ti}) + m B_{ti} \left[\frac{B_g}{B_{gi}} - 1 \right] + B_{ti} (1+m) \left[\frac{S_{wi} c_w + c_f}{1 - S_{wi}} \right] \Delta p} \quad (1)$$

$$: N_p [B_t + (R_p - R_{si}) B_g]$$

$$: [W_e - W_p B_w]$$

$$: [G_{inj} B_{ginj} + W_{inj} B_w]$$

$$: (B_t - B_{ti})$$

$$: [m B_{ti} (B_g / B_{gi} - 1)]$$

$$: B_{ti} (1+m) \left[\frac{S_{wi} c_w + c_f}{1 - S_{wi}} \right] \Delta p$$

()

$$W_e \quad (N)$$

(m)

()

()

$$F = N[E_o + mE_g + E_{f,w}] + W_e$$

()

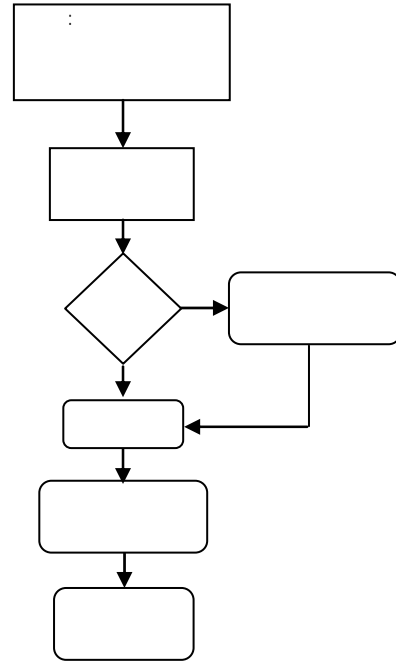
$$F = N_p [B_t + (R_p - R_{si}) B_g] + W_p B_w$$

$$E_o = B_t - B_{ti}$$

$$E_g = B_{ti} [B_g / B_{gi} - 1]$$

$$E_{f,w} = (1+m) B_{ti} \left[\frac{c_w S_{wi} + c_f}{1 - S_{wi}} \right] \Delta p$$

()



$$\left(\frac{p_{sc}T}{T_{sc}V}\right)$$

$$p/Z$$

-
-
-
-

$$F = G(E_G + E_{f,w}) + W_e$$

[]

()

$$W_e = B \sum \Delta P W_{eD}$$

()

$$F = G_p B_g + W_p B_w$$

$$E_G = B_g - B_{gi}$$

$$E_{f,w} = B_{gi} \frac{(c_w S_{wi} + c_f)}{1 - S_{wi}} \Delta p$$

[]

()

$$F = GE_t + W_e$$

()

$$E_t = E_G + E_{f,w}$$

()

[]

$$F/E_t$$

$$p/Z$$

$$\frac{p_{sc} G_p}{RT_{sc}} = \frac{p_i V}{ZRT} - \frac{p[V - (W_e - B_w W_p)]}{ZRT}$$

()

[]

()

()

$$\frac{p}{Z} = \frac{p_i}{Z_i} - \left(\frac{p_{sc} T}{T_{sc} V}\right) G_p$$

$$\frac{p}{Z} \left[1 - \frac{\Delta p (c_w S_{wi} + c_f)}{1 - S_{wi}}\right] = \frac{p_i}{Z_i} \left[1 - \frac{G_p}{G}\right]$$

()

()

$$p/Z$$

()

()

$$\frac{N(B_t - B_{it})}{A} + \frac{NmB_i(B_g - B_{gi})/B_{gi}}{A} + \frac{W_e - W_p B_w}{A} + \frac{NB_{it}(i+m) \left[\frac{c_w S_{wi} + c_f}{1 - S_{wi}} \right] \Delta p}{A} = 1 \quad ()$$

A

A

$$A = N_p [B_t + (R_p - R_{si}) B_g] \quad ()$$

()

()

psi

$$DDI + SDI + WDI + CDI = 1.0 \quad ()$$

()

F

F / E_t

()

(F)

()

()

F / E_t

()

W_e / E_t

MMSTB

()

.B :

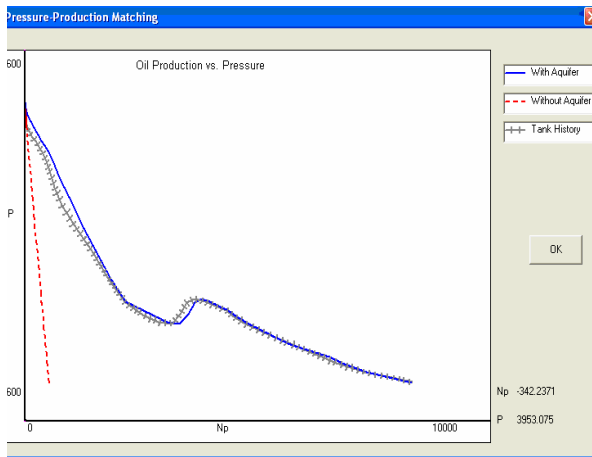
| | |
|---|--------|
| | (psia) |
| | (ft) |
| , | |
| , | |
| | (F) |
| x | - |

.A :

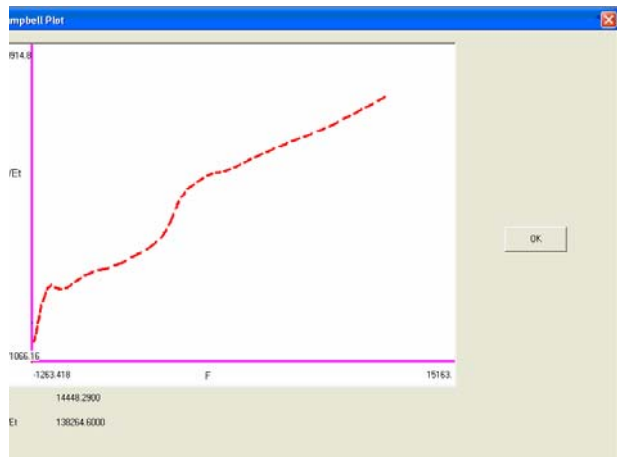
| | |
|---|--------|
| | (psia) |
| | (psia) |
| | (ft) |
| , | |
| , | |
| | (F) |

.

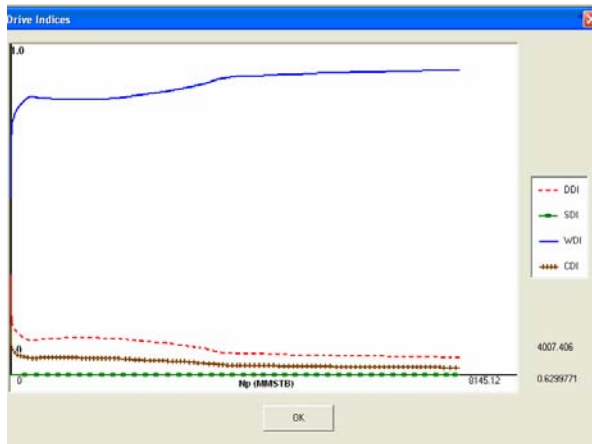
| | | |
|---|---|------|
| B | A | |
| | | (ft) |
| | | (ft) |
| , | | |
| - | | |
| | | (md) |



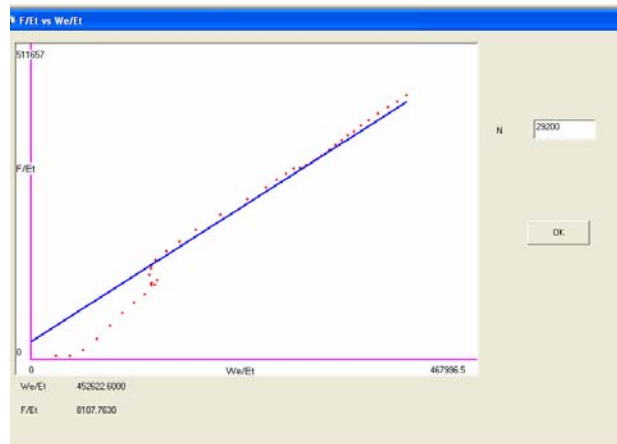
.A - :



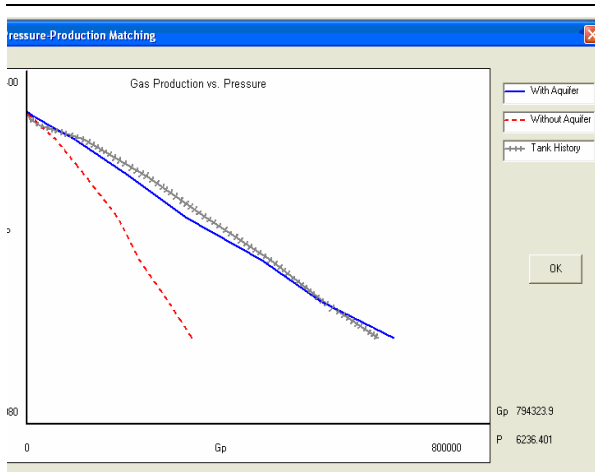
.A F F/Et :



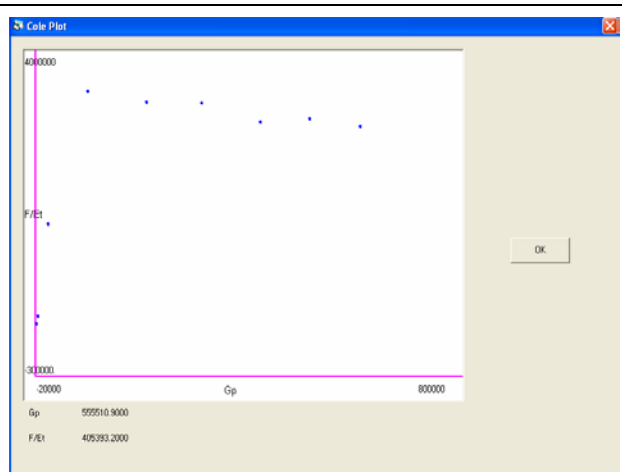
.A :



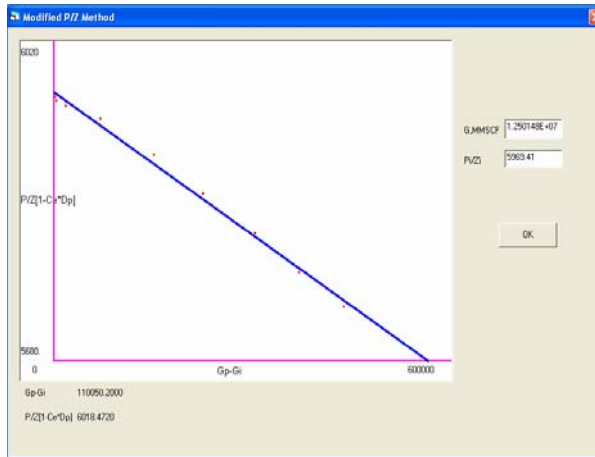
.A - We/Et F/Et :



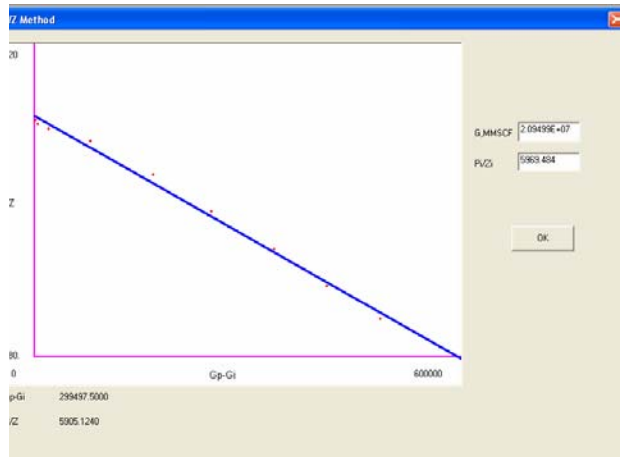
.B - :



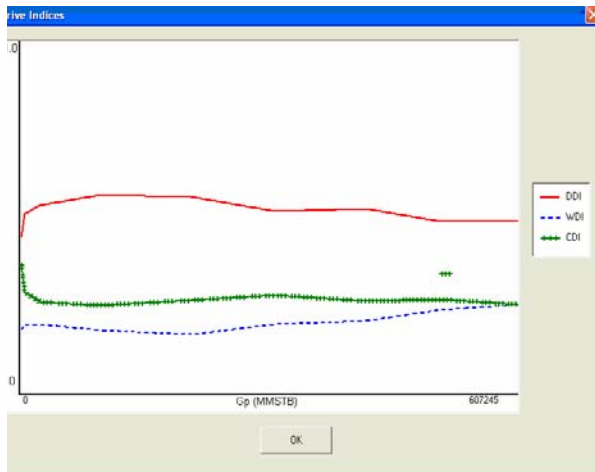
.B :



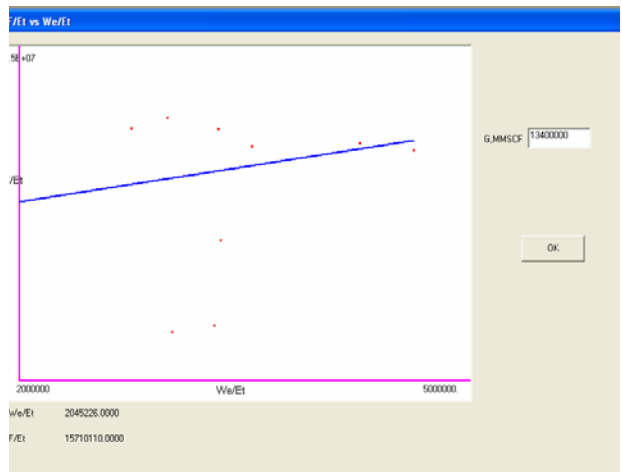
.B :



.B p/Z :



.B :



.B -We/Et F/Et :

()

[] Mbal

MMSTB

p/Z

p/Z

, TCF

() ()

p/Z

p_i/Z_i

psi

p/Z

)

, TCF

W_e / E_t

F / E_t

(()

()

B

A

Mbal

p/Z

Mbal

, TCF

-

-

, TCF

, TCF

()

()

[]

()

p/Z

)

(

p/Z

[]

| | | | | | |
|------------|-----------------|------------|--------------------|--------------|-----------|
| <i>scf</i> | | $:G_{inj}$ | | p/Z | • |
| | <i>scf</i> | $:G_p$ | | | |
| | | $:J_0$ | | | |
| | | $:J_1$ | | | |
| | | $:m$ | | | |
| | STB | $:N$ | F/E_t | | • |
| | STB | $:N_p$ | | F | |
| | | $:p_D$ | | | |
| | psi | $:p_i$ | | | |
| | psi | $:p_{sc}$ | | | |
| | | $:q_D$ | | | |
| | | $:R$ | | | |
| | scf/STB | $:R_p$ | | | |
| | scf/STB p_i | $:R_{si}$ | $bbbl / psi / day$ | $:B$ | |
| | | $:r_D$ | $bbbl/scf p$ | $:B_g$ | |
| | () | $:SDI$ | $bbbl/scf p_i$ | $:B_{g_i}$ | |
| | | $:S_{wi}$ | $bbbl / scf$ | $:B_{ginj}$ | |
| | °R | $:T$ | $bbbl/STB p$ | $:B_t$ | |
| | °R | $:T_{sc}$ | $bbbl/STB p_i$ | $:B_{ti}$ | |
| | | $:t_D$ | $bbbl/STB$ | $:B_w$ | |
| | ft ³ | $:V$ | psi^{-1} | $:c_f$ | |
| | | $:WDI$ | psi^{-1} | $:c_w$ | |
| | bbbl | $:W_e$ | () | $:CDI$ | |
| | | $:W_{eD}$ | | $:DDI$ | |
| | STB | $:W_{inj}$ | $bbbl/STB$ | $:E_{f,w}$ | |
| | STB | $:W_p$ | | ft^3 / scf | $:E_G$ |
| | | $:Y_0$ | $bbbl / scf$ | | $:E_g$ |
| | | $:Y_1$ | $bbbl/STB$ | | $:E_g$ |
| | p | $:Z$ | $bbbl/STB$ | | $:E_t$ |
| | p_i | $:Z_i$ | $bbbl$ | | $:F$ |
| | | $:α_n$ | $bbbl$ | | $:F(i)_c$ |
| | | $:β_n$ | $bbbl$ | | $:F(i)$ |
| | $p_i - p$ | $:Δp$ | scf | | $:G$ |

1 - Schilthuis, R. (1936). "Active oil and reservoir energy." *Trans. AIME*, Vol. 118, PP. 37.

2 - Havlena, D. and Odeh, A. S. (1963). "The Material Balance as an Equation of a Straight Line: Part 1." *Trans. AIME*, Vpl. 228, PP. I-896.

-
- 3 - Havlena, D. and Odeh, A. S. (1964). "The material balance as an equation of a straight line: Part 2." *Trans. AIME*, Vol. 231, PP. I-815.
 - 4 - Van Everdingen, A. F. and Hurst, W. (1949). "The application of the Laplace transformation to flow problems in reservoirs." *Trans. AIME*, Vol. 186, PP. 305–324.
 - 5 - Klins, M. A. and Bouchard A. J. (1988). "A polynomial approach to the van Everdingen-Hurst dimensionless variables for water encroachment." *SPE 15433*, Pennsylvania State U.
 - 6 - Cole, F. (1969). *Reservoir Engineering Manual*, Gulf Publishing Co., Houston, TX.
 - 7 – Ramagost, B. P. and Farshad, F. F. (1981). *P/Z Abnormally Pressured Gas Reservoirs*, SPE 10125, Arnerada Hess Corp. and University of Southwestern Louisiana.
 - 8 - Mbal User Guide (2002). *Petroleum Experts*, Edinburgh, Scotland.
 - 9 - Carter, R. and Tracy, G. (1960). "An improved method for calculations of water influx." *Trans. AIME*, Vol. 152.
 - 10 - Roach, R. H. (1981). *Analyzing Geopressured Reservoirs – A Material Balance Technique*, SPE 9968, Society of Petroleum Engineers of AIME, Dallas, TX
-