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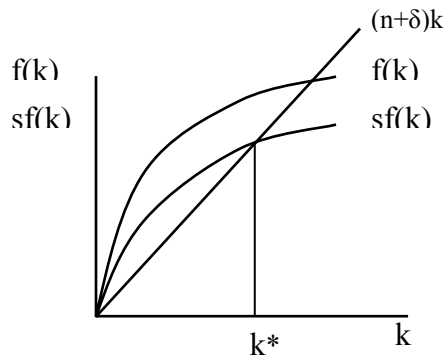
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$$K^o = s.f(k) - (n + \delta)k \quad ( )$$
$$K = \frac{s.f(k)}{(n + \delta)}$$

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### 1. Steady State



$$s \cdot f(k^*) = (n + \delta)k^* \quad k^*$$

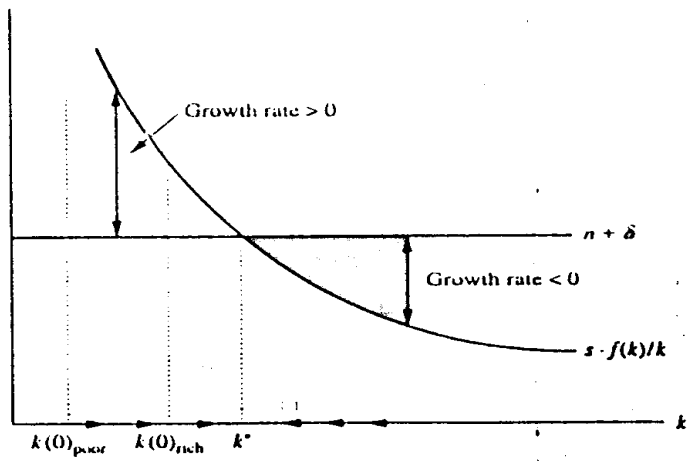
$$y^* = f(k^*) \quad c^* = (1-s) f(k^*) \quad k^* \quad y \quad c$$

$$k \quad k$$

$$g_k = \frac{k \cdot}{k} = s \cdot f(k) / k - (n + \delta) \quad ( )$$

$$: \quad k \quad g_k$$

$$\frac{\delta g_k}{\delta k} = \frac{s f(k) k - s f(k)}{k^2} = -s \underbrace{[f(k) - k f'(k)]}_{\text{}} / k^2$$



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$$\log(y_{it} / y_{it-1}) = a - b \log(y_{it-1}) + \varepsilon$$

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(  $b < 1$  ) b

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$$y_i = f(y_j) \quad i=1, \dots, n$$

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$$y_i = x_i B_i + \varepsilon_i \quad i=1, \dots, n$$

1. Lesage, 1999.

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(CBD)

CBD

$y^*$

$y$

$p$

$$y = pcy + \varepsilon$$

$y$

$y$

$XB$

$$y = pcy + XB + \varepsilon$$

$\vdots$

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$\vdots$

$\gg ( \quad ) \dots$

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$$\ln\left(\frac{y_{it}}{y_{it-1}}\right) = a - (1 - e^B) \log(y_{it-1}) + pc \ln(y_{it} / y_{it-1}) + \varepsilon$$

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$$\log(y_{it} / y_{it-1}) = a - (1 - e^B) \log y_{it-1} + u_{it}$$

OECD

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$$\ln\left(\frac{y_{t+k}}{y_t}\right) = x + B \ln(y_t) + PW \ln\left(\frac{y_{t+k}}{y_t}\right) + \varepsilon_t$$

P

P

B



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$$B = \%1$$

b

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$$\begin{aligned}
Gy_{it} = & -0/041 - (1 - e^{-0/0033}) LGDP_{it-1} + 0/112 Gyp_{it} + 0/11 LGDPP_{it-1} \\
& (-3/06) \quad (1/68) \quad (3/48) \quad (2/4) \\
& + 0/006 \text{ Time} + 0/27 \text{ Dum}_1 + 0/15 \text{ UM}_2 + 0/08 \text{ DUM}_3 \\
& (2/03) \quad (21/48) \quad (21/56) \quad (24/29) \\
R^2 = & 0/62 \quad D.W = 1/92
\end{aligned}$$

LGDPP

Gyp

t

$$\ln(y_{it}/y_{it-1}) = a[(1 - e^{-B})] \ln(y_{it-1}) + \varepsilon$$

TSP /

$$\ln(y_{it}/y_{it-1}) = 2 - 936 - (1 - e^{-0/307}) \ln(y_{it-1}) + \varepsilon$$

(6/94)
(-6/9)

R = 0/17
D. W = 2/2

B

$$\ln(y_{it}/y_{it-1}) = a - [(1 - e^{-B})] \ln(y_{it-1}) + Pw \ln(y_{it}/y_{it-1}) + \varepsilon$$

P  
W

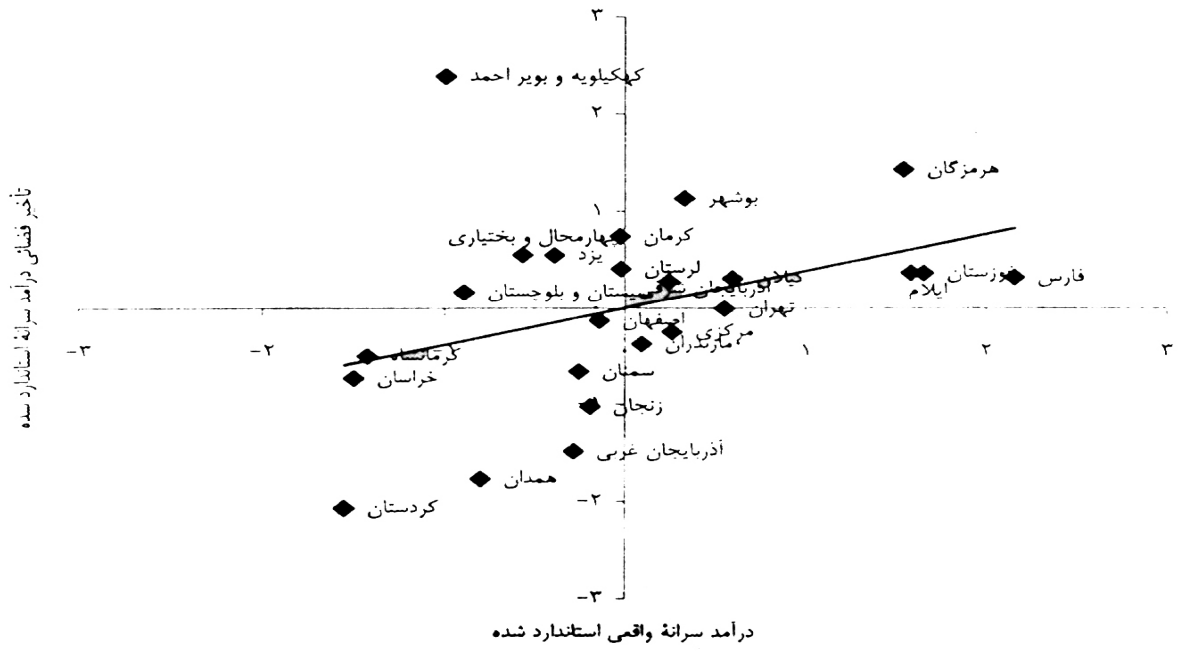
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$$\ln(y_{it}/y_{it-1}) = 2/63 - (1 - e^{-0/271}) \ln(y_{it-1}) + 0/702 \text{ Win } (y_{it}/y_{it-1}) + \varepsilon$$

(7/58)
(-7/6)
(10/92)

R<sup>2</sup> = 0/45
D. W = 2/2

R



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$$Pwln (y_{it} / y_{it-1})$$



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5. Anselin, Luc.(1999) “ spatial Econometrics” , *school of sciences University of Texas at Dallas*.
  6. Barro, Robert J., Sala-i-Martin Xarier.( 1995). “ Economic Growth”, *Mcgrawhill Inc*.
  7. Baumol, William J.(1986) “Productivity, Growth , Convergence and welfare : What the long Run Data Show” , *AER* , pp 1072-1085.
  8. Lesage, James.(1999)“ spatial Econometric “ , *Department of Economics University of Toledo*.
  9. Levine , Ned. (1996) “ spatial statistics and GIS : Software Tools to Quantify spatial patterns” , *APAjournal* , PP 9381-391.
  10. Rey , Sergio J., Montouri , Brett D.(1998)“Us Regional income Convergence : A spatial Econometric perspective” , *Regional Studies* , PP 143-156.